## Week of February 16

1. Omnibus analysis of the two-way mixed factorial: MRC approach
2. Detailed analysis of the two-way mixed factorial

Summary Table: MRC

| Source | $S S$ | $d f$ | $M e a n R^{2}$ | $F$ |
| :---: | :---: | :---: | :---: | :---: |
| $A$ | $R^{2} A_{A}$ | $a-1$ | $R^{2} / d f_{A}$ | $M R^{2} / M R^{2}{ }_{S / A}$ |
| $S / A$ | $R^{2}{ }_{S / A}$ | $a(s-1)$ | $R^{2}{ }_{S / A} / d f_{S / A}$ |  |
| $B$ | $R_{B}^{2}$ | $b-1$ | $R_{B}^{2} / d f_{B}$ | $M R_{B}^{2} / M R^{2}{ }_{B \times S / A}$ |
| $A \times B$ | $R^{2}{ }_{A \times B}$ | $(a-1)(b-1)$ | $R^{2}{ }_{A \times B} / d f_{A \times B}$ | $M R^{2}{ }_{A \times B} / M R^{2}{ }_{B \times S / A}$ |
| $B \times S / A$ | $R_{B \times S / A}^{2}$ | $a(b-1)(\mathrm{s}-1)$ | $R_{B \times S / A}^{2} / d f_{B \times S / A}$ |  |
| Total | 1.00 | $a b s-1$ |  |  |

## Omnibus Analysis of a Mixed Factorial: MRC Data File

- Need a total of abs rows
- Need one column for the dependent variable
- Also, it's usually a good idea to use one column for a subject ID number, one column to identify levels of the betweensubjects factor, and one column to identify levels of the within-subjects factor


## Omnibus Analysis of a Mixed Factorial: MRC Coding

- Use a-1 vectors to code the main effect of the between-subjects factor (A)
- Use $b-1$ vectors to code the main effect of the within-subjects factor $(B)$
- Using Transform-Compute, create (a-1)(b1) vectors to code the $A \times B$ interaction
- Use $a(s-1)$ vectors to code the betweensubjects error term (S/A; see pp. 308-310 for an example)
- For the omnibus analysis, there is no need to code the within-subjects error term ( $B \times S / A$ )


## Omnibus Analysis of a Mixed Factorial: Conducting the Analysis

1. To get $R^{2} \mathrm{~s}$ for each of the $A, S / A, B$, and $A \times B$ effects, regress the DV on the set of vectors used to code that effect

- As usual, the df for each effect equals the number of vectors used to code that effect

2. The $R^{2}$ for the within-subjects error term ( $B x$ $S / A$ ) equals ( $1-R^{2}{ }_{Y, M A X}$ )

- The df for $B \times S / A$ equals $a(b-1)(s-1)$

3. Calculate the Mean $R^{2} \mathrm{~s}$ and $F$ ratios by hand

Numerical Example
http://psych205.50webs.com/presentations/data_060216.sav

- The subjective stress level of 4 high-Neuroticism undergrads, 4 moderate-N undergrads, and 4 low-N undergrads is assessed one month before exam week, during exam week, and one month after exam week
- This is a two-way mixed factorial design, with Neuroticism as a three-level between-subjects factor and time as a three-level within-subjects factor
- The DV is subjective stress level


## Exercise

- Working with a partner...

1. Create all necessary coding vectors for an omnibus MRC analysis of the data
2. Use Regression-Linear to conduct the omnibus analysis
3. Using information from the SPSS output, write out a summary table for this analysis
4. Run the following line of SPSS syntax to get the cell means: means stress by neuroticism by time.
5. How would you summarize the results of the study for a USA Today reporter?

## Detailed Analysis of a Two-Way Mixed

 Factorial Design... In a Nutshell- Conceptually, you can follow up the omnibus analysis of an $A \times(B \times S)$ design in all the same ways that you can follow up the omnibus analysis of an $A \times B$ design
- Computationally, things are complicated by the need to use a different error term to conduct each follow-up test
- Practically, using GLM to test simple effects is rather easy, using GLM to test interaction contrasts and simple comparisons is doable, and doing MRC coding for any of this is a pain in the butt
- Annotated SPSS syntax files for the Chapter 18 problems are available on the course website (http://psych205.50webs.com)

Detailed Analysis of a Two-Way Mixed Factorial Design: Step By Step

| First, conduct the omnibus analysis. Is the interaction significant? |  |
| :---: | :---: |
| If not... | If so... |
| 1. Analyze the main effects. <br> 2. Follow up significant results with main comparisons (pp. 316-319). | 1. Analyze simple effects (pp. 319-322, 323-324, 327-329, or 330-332) or interaction contrasts (pp. 333-337 or 338-341). <br> 2. Follow up significant results with simple comparisons (pp. 322, 324-326, 329-330, 332333 , or 337-338). |

## My Advice

- If you need to conduct detailed analyses of a mixed design...

1. See if you can figure it out how to do things on your own (with reference to Chapter 18 and SPSS Help-Command Syntax Reference)
2. Nicely ask someone who has done this before (e.g., an older student, a statistically-inclined professor) to help you out
3. Pay someone who has done this before to help you out; better yet, have your advisor pay someone to help you out
